

# Advanced Acid Equilibrium

AP Chemistry 30L – Ms. Hayduk

## Recall...

- pH is a simplified measure of  $H^+$  ions in a solution
  - $[H^+] = [OH^-]$ , solution is neutral
  - $[H^+] > [OH^-]$ , solution is acidic
  - $[H^+] < [OH^-]$ , solution is basic

# Buffers

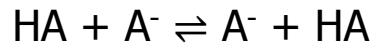
- Purpose: resist changes in pH in a solution after addition of strong acid or base
- Composition: weak acid and conjugate base, or weak base and conjugate acid

## pH Without a Buffer

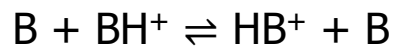
- $\text{H}_2\text{O} + \text{strong acid} = \uparrow[\text{H}^+], \downarrow\text{pH}$
- $\text{H}_2\text{O} + \text{strong base} = \uparrow[\text{OH}^-], \uparrow\text{pH}$
- pH change is significant in both cases

# Buffer Solutions

- Weak acid:

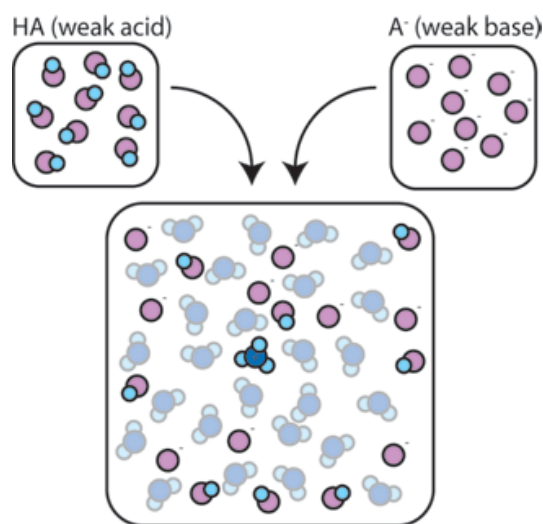


- Weak base:



- Regardless of equilibrium shift, all [] stay constant ( $\therefore$  pH is constant)

# Buffer Solutions



## Buffer Equation

Useful version...

$$[H_3O^+] = K_a \frac{[acid]}{[base]}$$

- $K_a$  for weak acid in buffer
- [acid] for weak acid OR conjugate of weak base
- [base] for weak base OR conjugate of weak acid

Alternate...

$$[H_3O^+] = K_a \left( \frac{n_{acid}}{n_{base}} \right)$$

## Solving Buffer Problems

1. Identify weak acid and weak base (HA/A<sup>-</sup> or BH<sup>+</sup>/B)
2. Determine  $K_a$  (recall:  $K_a = K_w/K_b$ )
3. If you have two separate solutions being mixed, calculate diluted concentrations ( $C_1V_1 = C_2V_2$ ) OR  $n_{acid}$  and  $n_{base}$  (moles)

## Example 1: Buffer Problems

Determine the pH of a solution containing 0.63 M lactic acid,  $\text{HC}_3\text{H}_5\text{O}_3$  ( $K_a = 1.4 \times 10^{-4}$ ) and 0.33 M sodium lactate,  $\text{NaC}_3\text{H}_5\text{O}_3$ .

## Example 2: Buffer Problems

Determine the pH of a solution containing 0.482 M ammonia,  $\text{NH}_3$  ( $K_b = 1.8 \times 10^{-5}$ ) and 0.800 M ammonium chloride,  $\text{NH}_4\text{Cl}$ .

## Example 3: Buffer Problems

Determine the pH of a solution prepared by mixing:

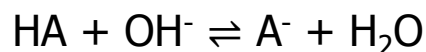
20.0 mL of 0.300 M acetic acid,  $\text{HC}_2\text{H}_3\text{O}_2$

20.0 mL of 0.350 M sodium acetate,  $\text{NaC}_2\text{H}_3\text{O}_2$

For acetic acid,  $K_a = 1.8 \times 10^{-5}$

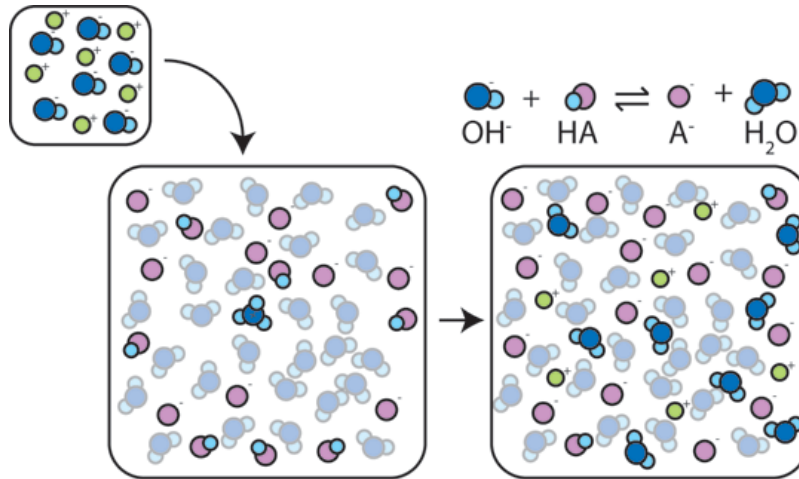
### Buffer + Strong Base

- Simplifying with weak acid as buffer, but would work the same with a weak base

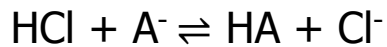


- Weak acid neutralizes  $\text{OH}^-$  (equilibrium shifts right)
- pH stays constant until HA is depleted
- $[\text{HA}] \downarrow$ ,  $[\text{A}^-] \uparrow$

## Buffer + Strong Base

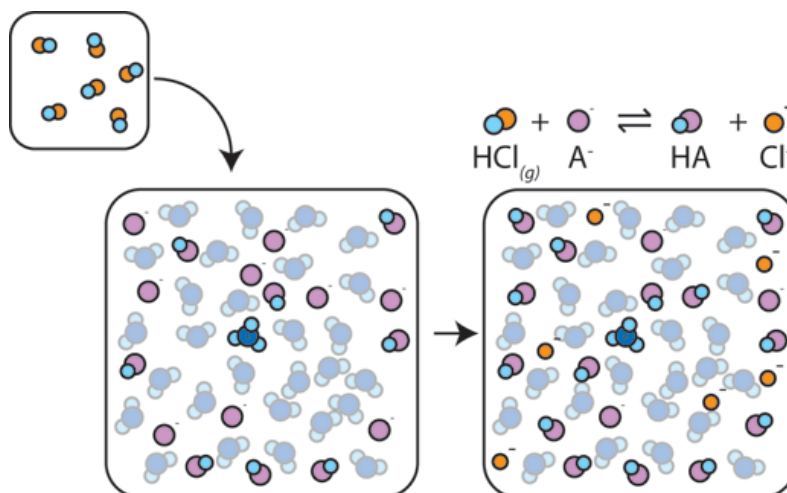


## Buffer + Strong Acid



- Weak base neutralizes  $\text{H}^+$  (equilibrium shifts right)
- pH stays constant until  $\text{A}^-$  is depleted
- $[\text{A}^-] \downarrow$  ,  $[\text{HA}] \uparrow$

## Buffer + Strong Acid



## Buffer Equilibrium

- Think of it as:
 
$$\text{HA}(\text{BH}^+) + \text{H}_2\text{O} \rightleftharpoons \text{A}^-(\text{B}) + \text{H}_3\text{O}^+$$
- Using Le Chatelier's Principle:
  - What do you change when you add a strong acid? Which way will the equilibrium shift?
  - What do you change when you add a strong base? Which way will the equilibrium shift?



## Adding Strong Acid/Base to Buffer

- If acid is added:
  - Add moles added to  $n_{\text{acid}}$
  - Subtract moles added from  $n_{\text{base}}$
- If base is added:
  - Add moles added to  $n_{\text{base}}$
  - Subtract moles added from  $n_{\text{acid}}$

### Example: Adding Strong Acid

Determine the pH of a 0.500 L solution containing 0.50 M formic acid ( $K_a = 1.8 \times 10^{-4}$ ) and 0.70 M sodium formate before and after adding 10.0 mL of 1.00 M HCl.

## $pK_a$

- Simplifies values, similar to pH:

$$pK_a = -\log K_a \quad pK_b = -\log K_b$$

- Henderson-Hasselbalch equation (on AP formula sheet):

$$pH = pK_a + \log \frac{[base]}{[acid]}$$

## Preparing Buffers

- Choose 0.10 M to 1.00 M solutions
- Choose weak acid/base with  $K_a \approx [H_3O^+]$  ( $pH \approx pK_a$ ), then calculate ratio
- IMPORTANT
  - What matters is relative MOLES of acid & base ratio – ratio will stay constant even if water is added

## Example: Buffer Prep

Determine the acid-to-base ratio you would need to prepare an acetic acid/sodium acetate buffer with a pH of 5.00. Acetic acid has a  $K_a$  of  $1.8 \times 10^{-5}$ .

## Thinking Activity

You need a solution buffered at pH of 4.30 and can choose from these acids and their conjugates:

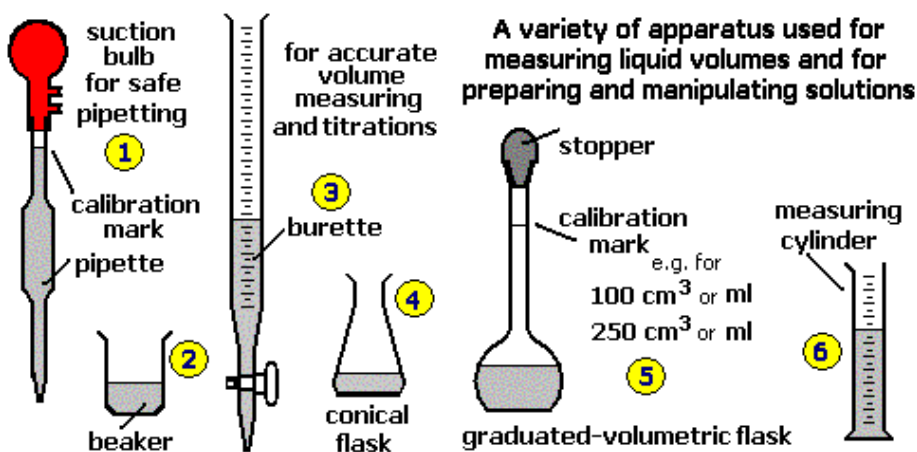
- a. Chloroacetic acid       $K_a = 1.35 \times 10^{-3}$
- b. Propanoic acid         $K_a = 1.3 \times 10^{-5}$
- c. Benzoic acid           $K_a = 6.4 \times 10^{-5}$
- d. Hypochlorous acid     $K_a = 3.5 \times 10^{-8}$

**Which system works best? Why?**

## Acid-Base Titrations

- Mixing an acid (or base) with known concentration to determine the unknown concentration of a base (or acid)
- Uses an indicator which changes colour to indicate **end point**
- **Equivalence point** is when enough titrant is added to completely neutralize analyte
- Ideally, end point = equivalence point

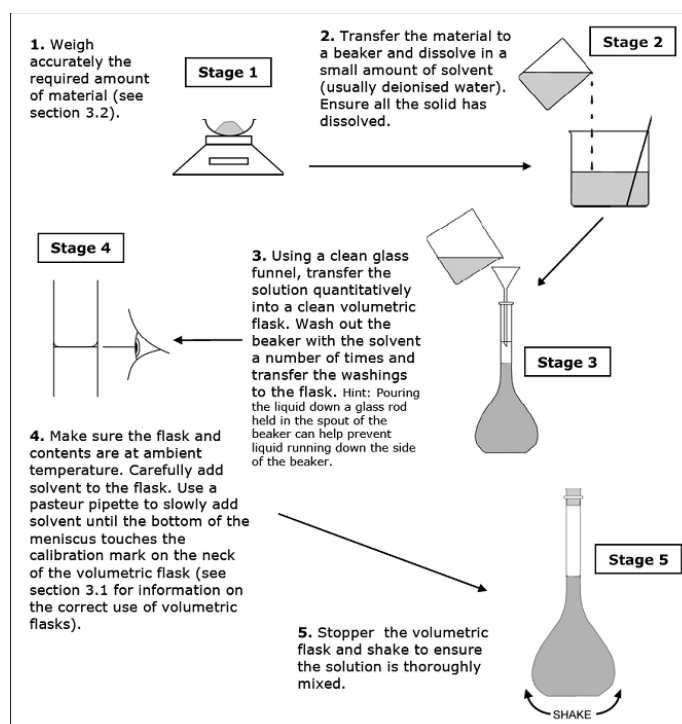
## Important Titration Equipment



# Preparing Solutions

- “Preparing a solution” refers to the procedure of dissolving a solid substance in water to make an aqueous solution.
- Some calculations are usually required to determine the correct mass of the solid or resulting concentration of the solution.

## Preparing Solutions



## Preparing Solutions

### DO:

- Use VERY clean equipment
- Take your time weighing solid and filling the flask

### DO NOT:

- Put solid back into the original container
- Put material directly into the flask

## Preparing Solutions

**THIS IS VERY IMPORTANT!**

In MOST cases, getting an exact concentration is not important. Instead, start with an approximate mass of solute (e.g. 3 g). Record the exact mass used and find the exact concentration from that.

**DO NOT CONTAMINATE THE CHEMICAL IN THE ORIGINAL CONTAINER!**

## Example: Preparing Solutions

1. You want to make 50.0 mL of a 0.10 M sodium chloride solution. How much solid sodium chloride do you need?

## Example: Preparing Solutions

2. When you are preparing your solution, you aim for the mass of solid you need, but end up using a little extra. The mass you use to prepare the solution is 0.35 g. What is the actual concentration of the solution?

## Example: Preparing Solutions

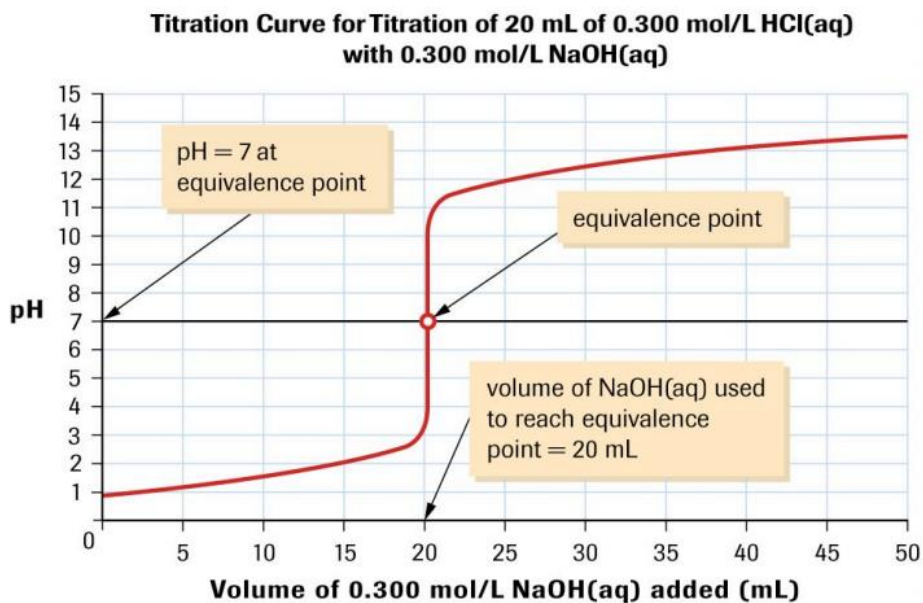
3. Which is better:

- Throwing away solid/putting it back in the container to get the exact mass (and then exact concentration) that you wanted, OR,
- Getting an approximate mass based on your calculations, and then determining the exact concentration you used?

## Strong Acid + Strong Base

- Net ionic:  $\text{H}^+ + \text{OH}^- \rightarrow \text{H}_2\text{O}$
- pH at equivalence point is 7.0 (neutral)
- Treat as a stoichiometry problem with a limiting reactant ("excess" determines pH)
- Do your work in moles





## Weak Acid + Strong Base

- Equivalence point pH > 7

### Zone 1

- pH of weak acid before titration begins
- Determine pH using  $K_a$  of weak acid and  $K_a$  expression:

$$K_a = \frac{[H^+][A^-]}{[HA]}$$

## Zone 2

- pH during titration before equivalence point
- Weak acid reacts with strong base to make salt (conjugate base of acid) and water
- Determine pH like a buffer problem:

$$[H_3O^+] = K_a \frac{[acid]}{[base]}$$

- TIP: at  $\frac{1}{2}$  equivalence point,  $[acid]=[base]$ , so  $[H_3O^+] = K_a$

## More About Zone 2

1. Write a stoichiometry problem first:
  - a. Determine moles of acid and moles of base
  - b. All strong base will react (limiting), so subtract that from moles of acid and add it to the weak base conjugate
2. Equilibrium problem next:
  - a. Determine initial molarity of acid and salt based on moles and total volume
  - b. Use  $K_a$  expression solve for x ( $[H^+]$ )

### Zone 3

- pH at equivalence point
- All of weak acid has reacted with strong base to make salt (conjugate base of acid) and water
- Moles of strong base added = moles of weak acid reacted = moles of salt made
- [salt] = moles formed/total volume of solution
- Determine pH like a weak base problem:

$$K_b = \frac{[BH^+][OH^-]}{[B]}$$

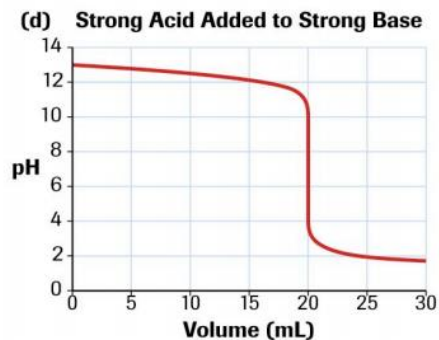
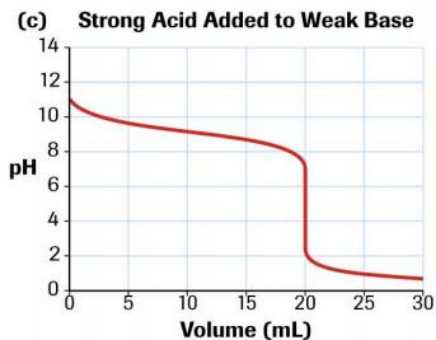
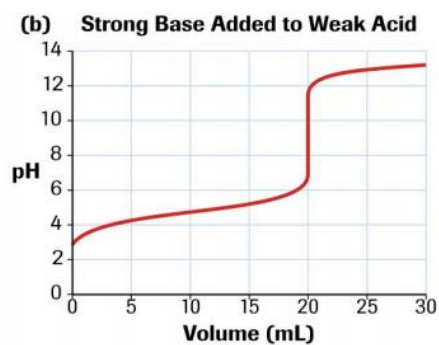
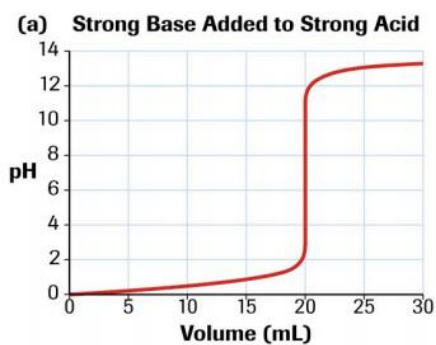
### Zone 4

- pH after equivalence point
- Determine pH based on excess strong base
- Calculate [base] using dilution formula ( $C_1V_1 = C_2V_2$ ), then determine pH

$$pOH = -\log[OH^-]$$

## Strong Acid + Weak Base

- Follow same process as weak acid + strong base:
  1. Weak base problem
  2. Buffer problem
  3. Hydrolysis of a salt/weak acid problem
  4. Strong acid problem



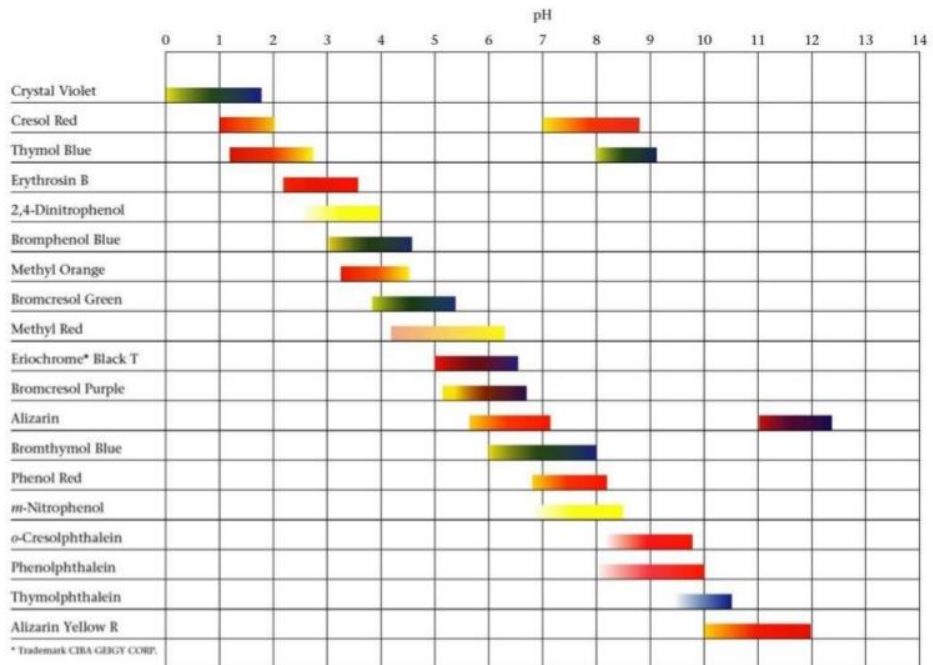
## Example: Weak Acid + Strong Base

Hydrogen cyanide gas (HCN) is a weak acid when dissolved in water ( $K_a = 6.2 \times 10^{-10}$ ). If a 50.0 mL sample of 0.100 M HCN is titrated with 0.100 M NaOH, determine the pH of the solution:

- Before the titration begins
- After 8.00 mL of 0.100 M NaOH is added
- At the halfway point of the titration
- At the equivalence point of the titration

## Indicator Choice

- Ideally, end point = equivalence point
- Determine pH at equivalence point, then choose indicator that has  $pK_a$  close to pH at equivalence point



The pH ranges shown are approximate. Specific transition ranges depend on the indicator solvent chosen.